

Engineering Mechanics

Code: CE202

Case-Study

① Introduction: This course introduces the principles required to solve engineering mechanics problems. It addresses the modeling and analysis of static equilibrium with an emphasis on real world engineering applications and problem solving.

② Objectives: The subject of Engineering mechanics is that branch of Applied Science, which deals with the laws and principles of mechanics, along with their applications to engineering problems. As a matter of fact, knowledge of Engineering Mechanics is very essential for an engineer in planning, designing and construction of his various types of structures and machines. In order to take up his job more skillfully, an engineer must pursue the study of Engineering Mechanics in a most systematic and scientific manner.

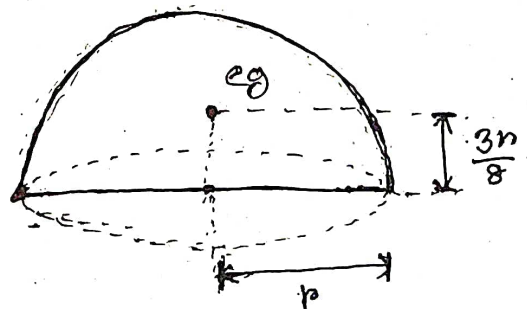
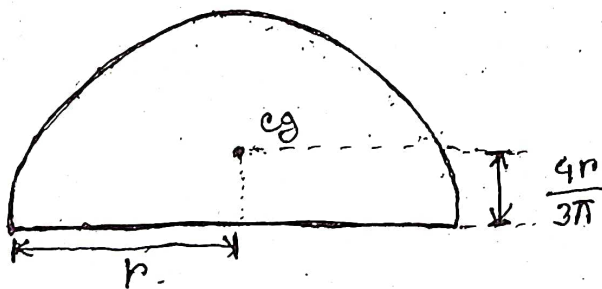
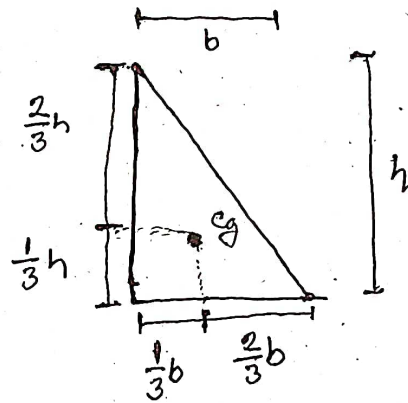
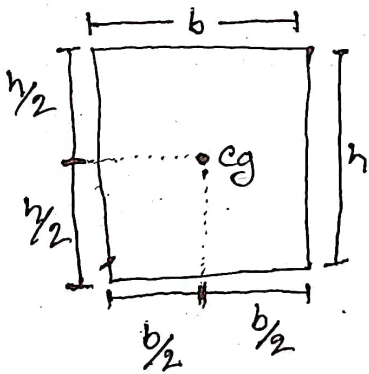
③ Briefly illustrate the Centre of Gravity.

Answer:

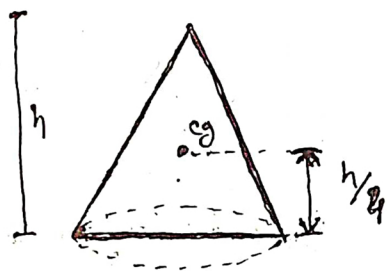
The centre of gravity is a geometric property of any object.

Centre of gravity is a single point about which the entire weight of a body acts.

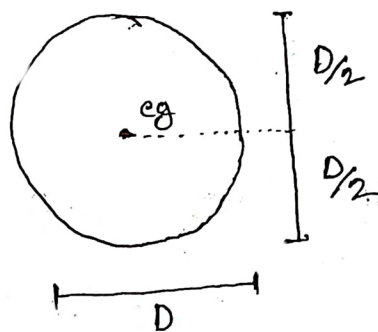
It is denoted by "c.g.". C.g. is considered for only those bodies which have mass on volume.



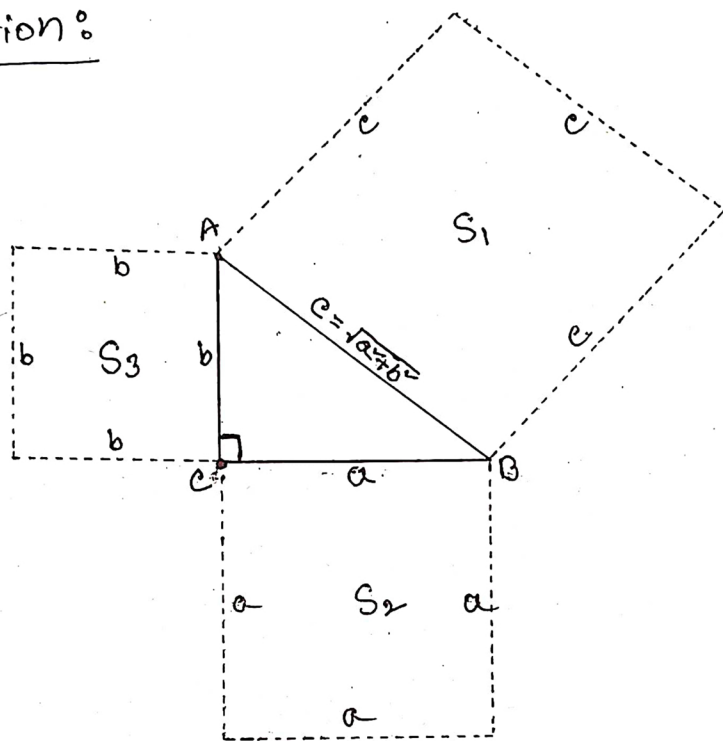
Hemisphere



Solid cone.



④ Solution:



Prove that the area of the square S_1 is equal to the sum of the areas of the squares S_2 or S_3 .

$$S_1 = S_2 + S_3$$

$$\begin{aligned} \text{Area of } S_1 &= c^2 \\ &= (\sqrt{a^2 + b^2})^2 \\ &= a^2 + b^2 \end{aligned}$$

$$\text{Area of } S_2 = a^2 \dots (i)$$

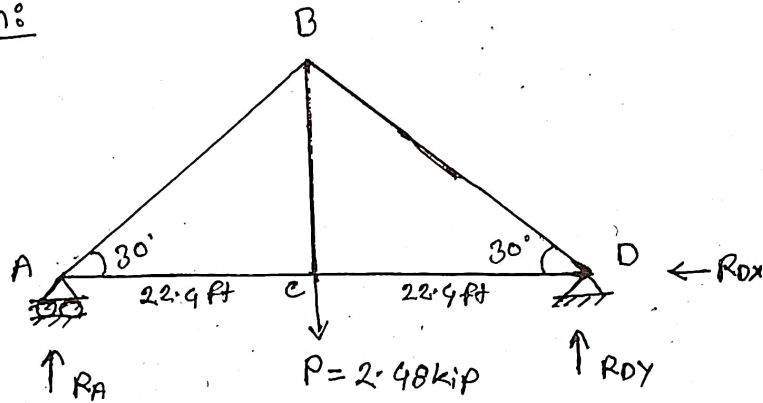
$$\text{Area of } S_3 = b^2 \dots (ii)$$

Now, (i) + (ii)

$$\begin{aligned} S_2 + S_3 &= a^2 + b^2 \\ &= c^2 \quad [\because c^2 = a^2 + b^2] \\ &= S_1 \end{aligned}$$

$$\therefore S_1 = S_2 + S_3 \text{ (Proved)}$$

⑤ Solution:



Find Reaction:

$$\sum M_D = 0 (\uparrow +)$$

$$\Rightarrow -2.48 \times 22.4 + R_A \times 44.8 = 0$$

$$\Rightarrow R_A = 1.24 \text{ kip } (\uparrow)$$

$$\sum F_y = 0 (\uparrow +)$$

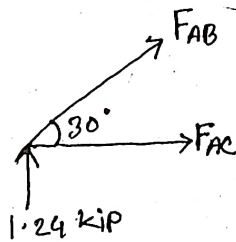
$$\Rightarrow 1.24 - 2.48 + R_{DY} = 0$$

$$\Rightarrow R_{DY} = 1.24 \text{ kip } (\uparrow)$$

$$\sum F_x = 0 (\rightarrow +)$$

$$\Rightarrow R_{DX} = 0$$

Now, Joint A:



$$\sum F_y = 0 (\uparrow +)$$

$$\Rightarrow 1.24 + F_{AB} \sin 30 = 0$$

$$\Rightarrow F_{AB} = -2.48 \text{ kip } (C)$$

$$R_{011} = 7662$$

$$P = 62/25 = 2.48 \text{ kip}$$

$$AC = 10 + 62/5 = 22.4 \text{ ft}$$

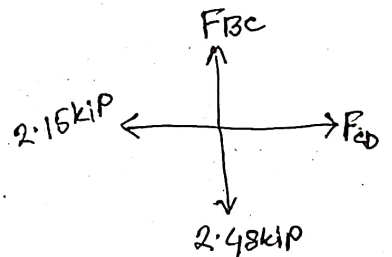
$$CD = 10 + 62/5 = 22.4 \text{ ft}$$

$$\sum F_x = 0 (\rightarrow +)$$

$$\Rightarrow F_{AC} + (-2.48 \cos 30) = 0$$

$$\Rightarrow F_{AC} = 2.15 \text{ kip } (T)$$

Joint C:



$$\sum F_y = 0 (\uparrow +)$$

$$\Rightarrow F_{BC} - 2.48 = 0$$

$$\Rightarrow F_{BC} = 2.48 \text{ kip } (T)$$

For symmetric truss:

$$AB = BD$$

$$AC = CD$$

⑥ Result & discussion :

Member's	Force (kip)	Nature
AB	2.48	C
AC	2.15	T
BC	2.48	T
BD	2.48	C
CD	2.15	T

Here, C = Compression force

T = Tension force

This is a symmetric truss. When applied 2.48 kip joint load at point C. The reaction force is generated at support $R_A = 1.24 \text{ kip}$ & $R_{Dy} = 1.24 \text{ kip}$. The compression force is generated in member AB & BD and Tension force is generated in member AC, BC and CD.